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COROLLARY 3.4. *If* (X,T) *is rim-compact, then the following are equivalent:* (a) (X,T) *is* T_3, (b) (X,T) *is Urysohn* (c) (X,T) *is* T_2, *and* (d) (X,T) *is semiregular* T_2.

COROLLARY 3.5. *If* (X,T) *is rim-compact, then the following are equivalent:* (a) (X,T) *is regular,* (b) (X,T) *is weakly Urysohn,* (c) (X,T) *is* R_1, *and* (d) (X,T) *is semiregular* R_1.

COROLLARY 3.6. *If* (X,T) *is rim-compact, then the following are equivalent:* (a) (X,T) *is regular s-essentially* T_0, (b) (X,T) *is s-essentially Urysohn,* (c) (X,T) *is s-essentially* T_2, *and* (d) (X,T) *is s-essentially* T_2 *and semiregular.*

There are examples of compact, regular, non s-essentially T_0 spaces.

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