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E R R A T A

MAXIMUM MODULUS FUNCTION OF DERIVATIVES OF ENTIRE FUNCTIONS DEFINED BY DIRICHLET SERIES

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(Comment.Math.Univ.Carolinae 14,3(1973),507-518)

Page 510, line 1, read " σ " instead of " σ_0 " .

Page 511, line 2, add " M_p " at the end.

Page 515, line 3, add " σ, " at the end.

Page 515, (3.15), read

$$" \begin{matrix}\rho\\ \lambda\end{matrix} = \lim_{\sigma\to+\infty} \begin{matrix}\sup\\ \inf\end{matrix} \frac{\log(M'_p(\sigma, f^{(p)})/M_p(\sigma, f^{(p)}))}{\sigma}, \forall p \in N "$$

instead of

$$" = \lim_{\sigma\to+\infty} \begin{matrix}\sup\\ \inf\end{matrix} \frac{\log(M'(\sigma, f^{(p)})/M(\sigma, f^{(p)})}{\sigma}, \forall p \in N " .$$

Page 516, (4.2) read

$$" \lim_{\sigma\to+\infty} \begin{matrix}\sup\\ \inf\end{matrix} \frac{\log\log M_p(\sigma, f^{(p)})}{\sigma} = \begin{matrix}\rho\\ \lambda\end{matrix} "$$

instead of

$$" \lim_{\sigma\to+\infty} \begin{matrix}\sup\\ \inf\end{matrix} \frac{\log M_p(\sigma, f^{(p)})}{\sigma} = \begin{matrix}\rho\\ \lambda\end{matrix} " .$$

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(Oblatum 21.3.1974)