

## Werk

**Label:** Table of literature references

**Jahr:** 1980

**PURL:** [https://resolver.sub.uni-goettingen.de/purl?31311157X\\_0105|log19](https://resolver.sub.uni-goettingen.de/purl?31311157X_0105|log19)

## Kontakt/Contact

Digizeitschriften e.V.  
SUB Göttingen  
Platz der Göttinger Sieben 1  
37073 Göttingen

✉ [info@digizeitschriften.de](mailto:info@digizeitschriften.de)

**Proof.** The assumption  $f(\mathbf{V}) \cap \gamma = \emptyset$  leads to a contradiction in virtue of the relation (14), viz.

$$T(r) = o\{T(r)\}$$

on the set  $[r_0, \infty) \setminus I$ .

Theorem 4.1 implies the following result:

*If an open Riemann surface  $\mathbf{V}$  carries a finite harmonic exhaustion and  $f : \mathbf{V} \rightarrow \mathbf{M}$  is a holomorphic mapping for which the relation (26) is valid, then for an arbitrary regular curve  $\gamma$  on  $\mathbf{M}$ , the intersection*

$$f(\mathbf{V}) \cap \gamma$$

*is nonempty.*

#### References

- [1] L. Sario and K. Noshiro: Value Distribution Theory, Van Nostrand, Princeton, N.J., 1966.
- [2] H. Wu: Mappings of Riemann Surfaces (Nevanlinna Theory), Proc. Sympos. Pure Math., vol. XI, "Entire Functions and Related Parts of Analysis", Amer. Math. Soc., 1968, 480 to 532.
- [3] H. Wu: The Equidistribution Theory of Holomorphic Curves, Annals of Math., Studies 64, Princeton Univ. Press, Princeton N.J., 1970.
- [4] E. F. Collingwood: Sur les valeurs exceptionnelles des fonctions entieres d'ordre fini, C.r. Acad. sci. 197, 1924, 1125–1127.
- [5] H. Cartan: Sur les valeurs exceptionnelles d'une fonction méromorphe dans tout le plan, C.r. Acad. sci. 190, 1930, 1003–1005.
- [6] S. Kakutani: On the Exceptional Value of Meromorphic Functions, Proc. Phys.-Math. Soc. Japan 17, 1935, 174–176.
- [7] O. Teichmüller: Eine Umkehrung des Zweiten Hauptsatzes der Wertverteilungslehre, Deutsche Math. 2, 1937, 96–107.
- [8] H. L. Selberg: Eine Ungleichung der Potentialtheorie und ihre Anwendung in der Theorie der meromorphen Funktionen, Comment. Math. Helv. 18, 1946, 309–326.
- [9] Y. Tumura: Sur une extension d'un théorème de M. Teichmüller, Proc. Imp. Acad. Tokyo 19, 1943, 55–59.
- [10] R. Nevanlinna: Analytic Functions, Springer-Verlag Berlin, Heidelberg, New York 1970.
- [11] S. Stoilow: Teoriya funkcij kompleksnogo peremennogo, Izd. inostrannoj literatury, Moskva 1962.
- [12] R. C. Buck: Advanced Calculus, 2nd ed., McGraw-Hill, New York, 1965.
- [13] L. V. Ahlfors, L. Sario: Riemann Surfaces, Princeton Univ. Press, Princeton N. J., 1960.

*Author's address:* 166 28 Praha 6, Suchbátarova 1905 (katedra matematiky VŠCHT Praha).