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SUMMARIES OF ARTICLES PUBLISHED IN THIS ISSUE

(Publication of these summaries is permitted)

MIROSLAV SOVA, Praha: *Concerning the characterization of generators of distribution semigroups*. Čas. pěst. mat. 105 (1980), 329—340. (Original paper.)

A new characteristic property of generators of distribution semigroups of operators, based only on the behavior of their resolvents on a real halfaxis, is given.

JANUSZ MATKOWSKI, Bielsko-Biala: *Fixed point theorems for contractive mappings in metric spaces*. Čas. pěst. mat. 105 (1980), 341—344. (Original paper.)

Let (X, d) be a complete metric space. Two fixed point theorems are proved for contractive mappings $T: X \rightarrow X$ for which the distance $d(Tx, Ty)$ is estimated by all of the remaining distances between the points x, y, Tx and Ty .

I. I. MIKHAILOV (И. И. Михайлов), Иваново: *Некоторые диофантовы уравнения третьей степени*. (Some diophantine equations of the third degree.) Čas. pěst. mat. 105 (1980), 350—353. (Original paper.)

It is proved that there exist infinitely many parametric solutions in integers of the diophantine equation $x^3 + y^3 + z^3 + 2t^3 = 0$ and the system of diophantine equations $z^3 = x^3 + y^3 + 2t^3 = x_1^3 + y_1^3 + 2t_1^3 = x_2^3 + y_2^3 + 2t_2^3 = x_3^3 + y_3^3 + 2t_3^3$. In this note it is demonstrated that the diophantine equations $x^3 + y^3 + 2t^3 = \mu z^4$, $x^3 + y^3 + 2t^3 = z^{6k}$, $x^3 + y^3 + z^3 + 2t^{9k} = 0$ have infinitely many integral solutions as well.

JARMILA NOVOTNÁ, Praha: *Discrete analogues of Wirtinger's inequality for a two-dimensional array*. Čas. pěst. mat. 105 (1980), 354—362. (Original paper.)

In the paper discrete inequalities for finite double sums involving x_{ij}^2 , $(x_{ij} - x_{i+1,j})^2 + (x_{ij} - x_{i,j+1})^2$ („symmetrical“ case) and x_{ij}^2 , $(x_{ij} - x_{i+1,j})^2$ („asymmetrical“ case) are studied.

ZBYNĚK NÁDENÍK, Praha: *Eine isoperimetrische Ungleichung für die Paare der Raumkurven*. Čas. pěst. mat. 105 (1980), 363—367. (Originalartikel.)

Für die Längen dieser Kurven und für ein Seitenstück zu den gemischten Flächeninhalten ihrer Projektionen auf drei orthogonale Ebenen gilt eine Ungleichung, welche die alte isoperimetrische Ungleichung umfasst.