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Corollary 2. *Let* $\mathfrak{A} = \langle A, \mathscr{F} \rangle$ *be an algebra. Let* $\mathfrak{S}$ *be the maximal* (*with respect to set inclusion*) *set of compatible tolerances on* $\mathfrak{A}$ *such that any two tolerances from this set are permutable. Then* $\mathfrak{S}$ *is a commutative semigroup with the property that each monogenous subsemigroup of* $\mathfrak{S}$ *either is infinite, or has the period one. The unit element of* $\mathfrak{S}$ *is the identity relation on* A, *the zero element of* $\mathfrak{S}$ *is the universal relation on* A.

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